## Business Decision Making (20115)

Name:
Student identification number:

## Group C

This exam consists of this answer sheet and eight questions on the following pages. It is not allowed to open the binding. Please do not forget to enter your name and student identification number above.

For each of the eight questions you can choose between four different answers, of which only one is correct. Please note that a correctly answered question will be valued higher than an unanswered question, but that an unanswered question will be valued higher than an incorrectly answered question.

Only the answer box below is used as the basis for grading. The numbered columns in the answer box correspond to the numbered exam questions. Each row, characterized by letters A-D, represents an alternative answer to the respective exam question. Please mark your answers carefully by completely filling in the corresponding circle. If no circle is marked, the question will be considered as unanswered. If more than one circle is marked, the answer will be considered as incorrect. If corrections are necessary, please indicate them clearly on this answer sheet.

Admitted Aids: Non-programmable pocket calculator; dictionary without handwritten notes.

| Answer box |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |
| A | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| B | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| C | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| D | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

## Question 1:

Consider the following four lotteries:
$A=\{(100,0.25),(110,0.5),(120,0.25)\}$
$B=\{(90,0.25),(100,0.5),(120,0.25)\}$
$C=\{(100,0.25),(110,0.5),(100,0.25)\}$
$D=\{(90,0.25),(120,0.5),(110,0.25)\}$
A decision maker is known to hold the following indifferences with the reference lotteries

$$
\begin{aligned}
& 100 \sim\{(120,0.5),(90,0.5)\} \\
& 110 \sim\{(120,0.8),(90,0.2)\}
\end{aligned}
$$

With this information, which of the four lotteries should the decision maker choose in order to maximize expected utility?
a) $A$
b) $B$
c) C
d) $D$

## Question 2:

A team of scientists is due to spend six months in Antarctica carrying out research. One major piece of equipment they will be taking is subject to breakdowns caused by the sudden failure of a particular component. Because a failed component cannot be repaired, the team intends to carry a stock of spare units of the component, but it will cost them roughly $\$ 3000$ for each spare unit they take with them. However, if the equipment breaks down and a spare is not available, a new unit will have to be specially flown in, and the team will incur a total cost of $\$ 4000$ for each unit that is delivered in this way. An engineer who will be travelling with the team is certain that the number of spares required will not exceed three.
How many extra-spares should the team carry with them if their objective is to minimize costs and they decide according to the Hurwicz rule with $\lambda=0.5$ ?
a) 0
b) 1
c) 2
d) 3

## Question 3:

Imagine that you are the candidate in a game show with five rounds of statements, to which you must respond only 'true' or 'false'. If your response is incorrect, you end the game with nothing. However, if your response is correct, you can leave with $\$ 5000$ after the first round, $\$ 15000$ after the second, $\$ 40$ 000 after the third, $\$ 75000$ after the fourth, or $\$ 100000$ if you respond correctly to the fifth statement. After each correct response you must choose whether you wish to take the money or invest it in the next round. Since you do not know the next statement beforehand, you consider guessing in the next round, so that your chance of a correct response is $50 \%$. Assuming that you are risk neutral, after which statement should you leave the game?
a) After the 2nd
b) After the 3rd
c) After the 4th
d) After the 5th

## Question 4:

A risk-neutral company is considering the introduction of a new product to the market. Experience tells that there are three possible demand scenarios with differing probabilities: there is a $10 \%$ chance that the company will sell 2000000 units, a $40 \%$ chance that it will sell 1000000 units, and a $50 \%$ chance that it will sell only 200000 units. If the company enters production, then the marginal contribution of each unit (price minus unit variable costs) would be $5 €$. Producing the new product would also involve fixed costs of $4000000 €$. As an alternative to introducing the new product, the firm could continue with its standard product, which would yield a guaranteed profit of $500000 €$. Assume that the company has the possibility of purchasing a market analysis before making its investment decision. Assume further that the market analysis would provide enough information for the company to assess precisely the market demand for the new product.
What is the maximum price that the company would be willing to pay for the market analysis?
a) $€ 750000$
b) $€ 550000$
c) $€ 500000$
d) $€ 200000$
$\square$

## Question 5:

Sonja and Boris have to divide five items amongst each other. The subjective valuations of all items by both children and the percentage shares of the complete estate are:

|  |  | Sonja |  | Boris |  |
| :--- | :--- | :---: | :---: | ---: | :---: |
|  | Item | $\%$ | $€$ | $€$ | $\%$ |
| 1 | Bicycle | 38 | 2000 | 600 | 13 |
| 2 | Piano | 6 | 300 | 2000 | 44 |
| 3 | Toolbox | 12 | 600 | 400 | 8 |
| 4 | Computer | 38 | 2000 | 1000 | 22 |
| 5 | Stamps | 6 | 300 | 600 | 13 |
|  | Sum | 100 | 5200 | 4600 | 100 |

Suppose that Sonja and Boris agree on applying the procedure "Divide and Choose". If Sonja is in the role of the Divider, what is her maximum willingness to pay for perfect information on Boris preferences?
a) $€ 0$
b) $€ 400$
c) $€ 1600$
d) $€ 2000$

## Question 6:

For the decision concerning the place to build a chain store, a company only takes Cologne, Halle, Munich and Bremen into consideration. In addition to the costs the company considers the proximity to headquarter, the institutional support and the quality of the infrastructure to be relevant for the decision.
They find the proximity to headquarter three times as important as the institutional support and 1.5 times as important as quality of the infrastructure. The following table contains the company`s evaluation of all alternatives in all criteria with the best alternative receiving 100 points and the worst 0:

|  | proximity | support | infrastructure | costs in $€$ |
| :--- | :--- | :--- | :--- | :--- |
| Cologne | 100 | 50 | 20 | 8.000 |
| Halle | 60 | 60 | 0 | 1.000 |
| Munich | 30 | 0 | 90 | 3.000 |
| Bremen | 0 | 100 | 100 | 5.000 |

Which cities can be eliminated if we apply the SMART method (assume preferential independence between all attributes)?
a) none
b) Halle
c) Munich
d) Bremen \& Munich
$\square$

## Question 7:

In order to find the best job you have to compare the alternatives Best Price, Wonderland and Novum with the help of the Analytical Hierarchy Process. Your problem is characterized by the following hierarchy, where the values below the alternatives describe their performances in lowest-level sub-criteria and all other values represent relative weights of sub-criteria.


Given the following matrix of pairwise comparisons between the three sub-criteria of "Working conditions", which is the best alternative?

| Working Condi-, <br> tions | Availability of Secre- <br> tary Service | Quality of <br> Company Car | Working Hours |
| :---: | :---: | :---: | :---: |
| Availability of Secre- <br> tary Service | 1 | 0.5 | 0.25 |
| Quality of Company <br> Car | 2 | 1 | 0.5 |
| Working Hours | 4 | 2 | 1 |

a) Wonderland
b) Novum
c) Best Price
d) You are indifferent between Novum and Best Price


## Question 8:

An individual has the choice between receiving a sure payment of $\$ 105$ and investing $\$ 100$ in order to play one of two gambles. In the first gamble he can win $\$ 500$ with a probability of $1 / 2$ or $\$ 100$ with a probability of $1 / 2$. In the second gamble he has a 50-50 chance of winning $\$ 325$ or $\$ 136$. Assuming that the individual's utility over wealth $w$ is given by $u(w)=\sqrt{w}$, what should he choose?
a) The sure payment
b) Gamble 1
c) Gamble 2
d) Indifferent between Gamble 1 and 2

